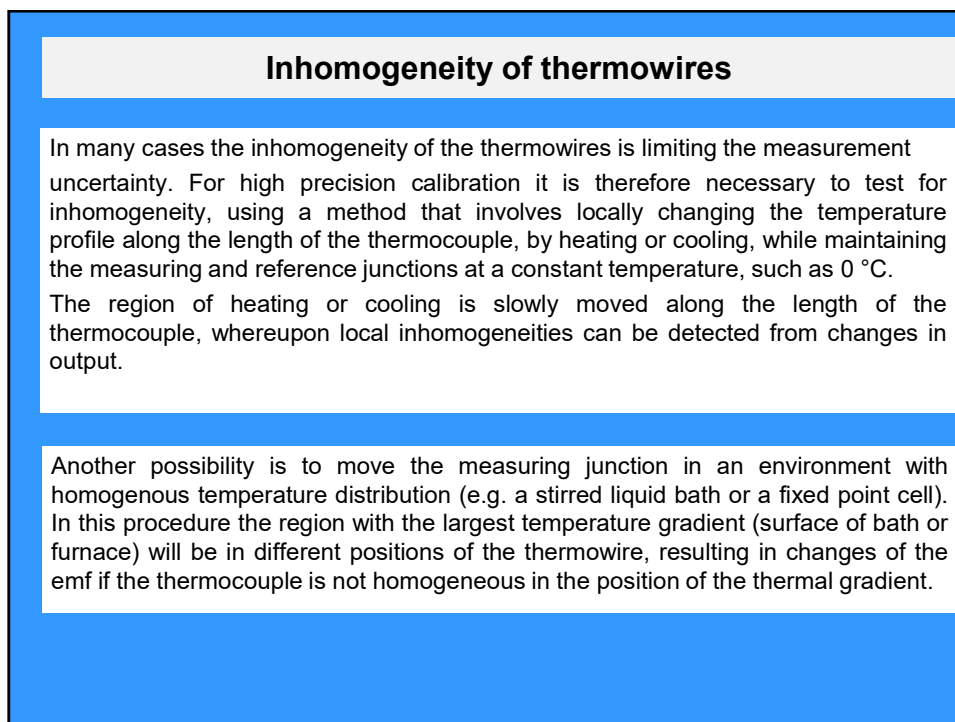


The slide features a blue background with white and red text. At the top, there are three logos: EMPIR (with a European Union flag and EURAMET logo), MetForTC, and FSB (Faculty of Mechanical Engineering and Naval Architecture, University of Zagreb). Below the logos, the text reads: 'EMPIR JRP 18RPT03 MetForTC', 'WORKSHOP', 'Temperature measurement by thermocouples', and 'Inhomogeneity of Thermocouples' in red. At the bottom, it lists the speaker 'Prof.dr.Davor Zvizdic', his affiliation 'Faculty of Mechanical Engineering and Naval Architecture, Laboratory for Process Measurement (FSB-LPM), East building, Blue room, Ivana Lučića 5, Zagreb, Croatia, 27 February, 2020'.

1



The slide has a blue background with a white title bar at the top that reads 'Inhomogeneity of thermowires'. Below the title bar, there are two white text boxes. The first box contains the following text: 'In many cases the inhomogeneity of the thermowires is limiting the measurement uncertainty. For high precision calibration it is therefore necessary to test for inhomogeneity, using a method that involves locally changing the temperature profile along the length of the thermocouple, by heating or cooling, while maintaining the measuring and reference junctions at a constant temperature, such as 0 °C. The region of heating or cooling is slowly moved along the length of the thermocouple, whereupon local inhomogeneities can be detected from changes in output.' The second box contains: 'Another possibility is to move the measuring junction in an environment with homogenous temperature distribution (e.g. a stirred liquid bath or a fixed point cell). In this procedure the region with the largest temperature gradient (surface of bath or furnace) will be in different positions of the thermowire, resulting in changes of the emf if the thermocouple is not homogeneous in the position of the thermal gradient.'

2

Inhomogeneity of thermowires

It is recommended to estimate the uncertainty contribution from the inhomogeneity as rectangular contribution, with a full width equivalent to the largest difference found for any two measurements during the test. If the test was only performed over a small length of the thermocouple, the largest difference in emf found in the measurement should be taken as half width of the rectangular distribution.

In cases where no individual measurement of the inhomogeneity is possible, it is recommended to take at least 20% of the Class 2 tolerance value for the corresponding type of thermocouple according to EN IEC 60584-2 [7] as contribution ($k = 1$) to the uncertainty .

For an estimation of the inhomogeneity at other temperatures than tested, it may be assumed that inhomogeneity can be expressed as a percentage of the total emf.

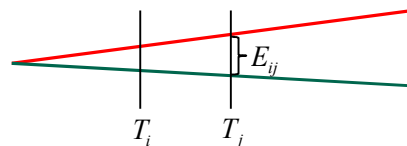
3

Inhomogeneity

..it is abnormal change of Seebeck coefficient.

$$\sigma(t) = \lim_{\Delta T \rightarrow 0} \frac{\Delta E}{\Delta T}$$

In praxis we speak of average Seebeck coefficient of a wire segment:



$$\sigma(T_m) = \frac{E_{ij}}{T_j - T_i}$$

Total emf which is measured at the end of the wires is the sum of all emf-s at all non-isothermal parts of the wire.

4

Inhomogeneity?

Calibration of the TC blindly believing in homogeneity of the wire may be waste of time and money, as inhomogeneity during use at elevated temperatures will inevitably occur.
 Temperature profile during calibration may differ largely from the profile during regular use

5

Dual temperature step test of the thermocouple wire

Emf measured at the end of the thermocouple during test is: $E_i = V_0 + (\sigma_{i+m+n} - \sigma_{avg}) \Delta T$
 i.e. emf output from the segment on the entry step is compared to the approximate average several segments separated from the entry step.

$$E_i = V_0 + (\sigma_{i+m+n} - \sigma_{avg}) \cdot (T_b - T_a)$$

Deviation of the Seebeck coefficient of the TC segment X_a in relation to the average value

V_0 - The voltage we measure when both ends of the thermocouple are at the same temperature (due to voltmeter, parasitic voltages, and other errors)

6

Measurement model...

Pros and Cons...

Due to convection segments of the wires are actually compared to the upper part of the thermocouple, which is not usually affected by temperature cycling

TC

If temperature ramp is too narrow, it can embrace segments of equally degraded wire - testing turns to "fool's test"

Temperature profiles

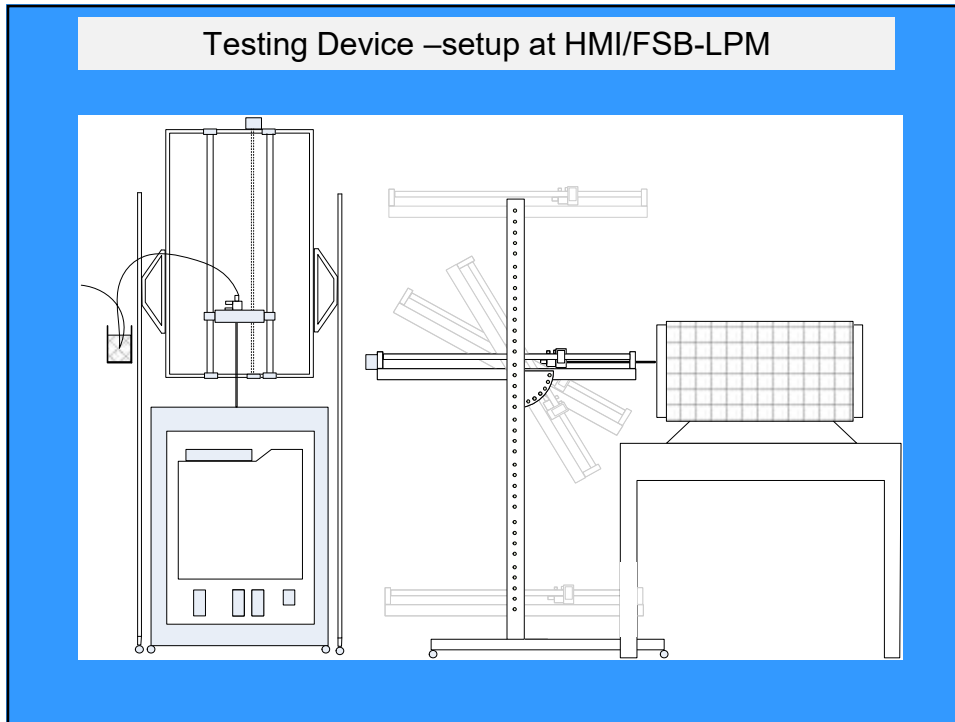
7

Testing Device –setup at HMI/FSB-LPM

Scheme of the device when used with moving heater

Pt-Pd Thermocouple
Ceramic insulation, d=6mm

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Thermocouple can be classified in three categories

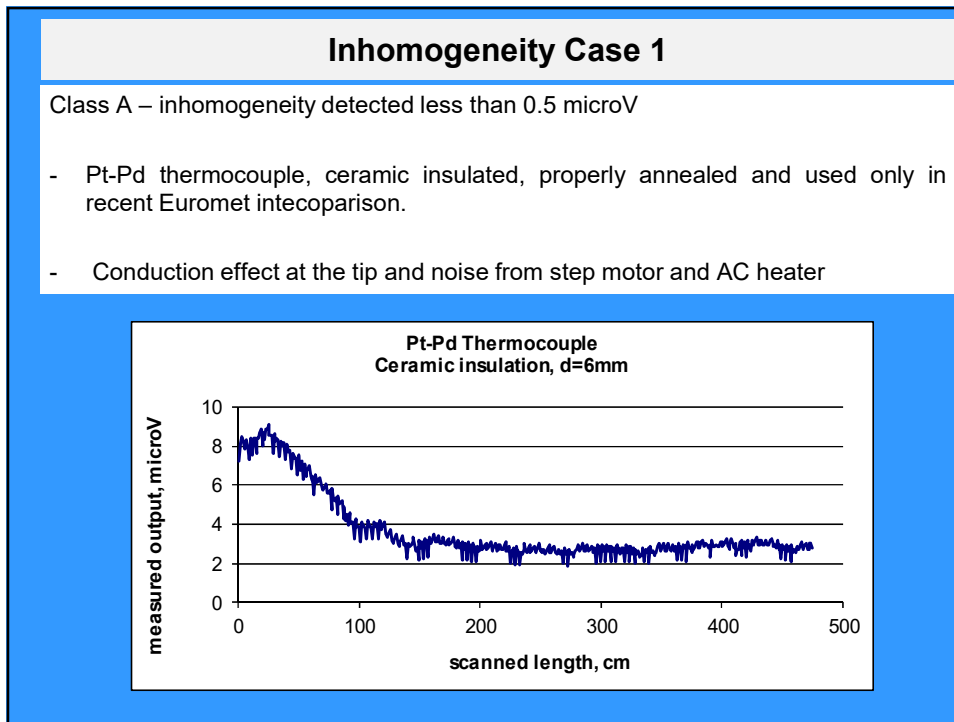
Depending on experimental results, thermocouple can be classified in three categories:

A - no inhomogeneity detected

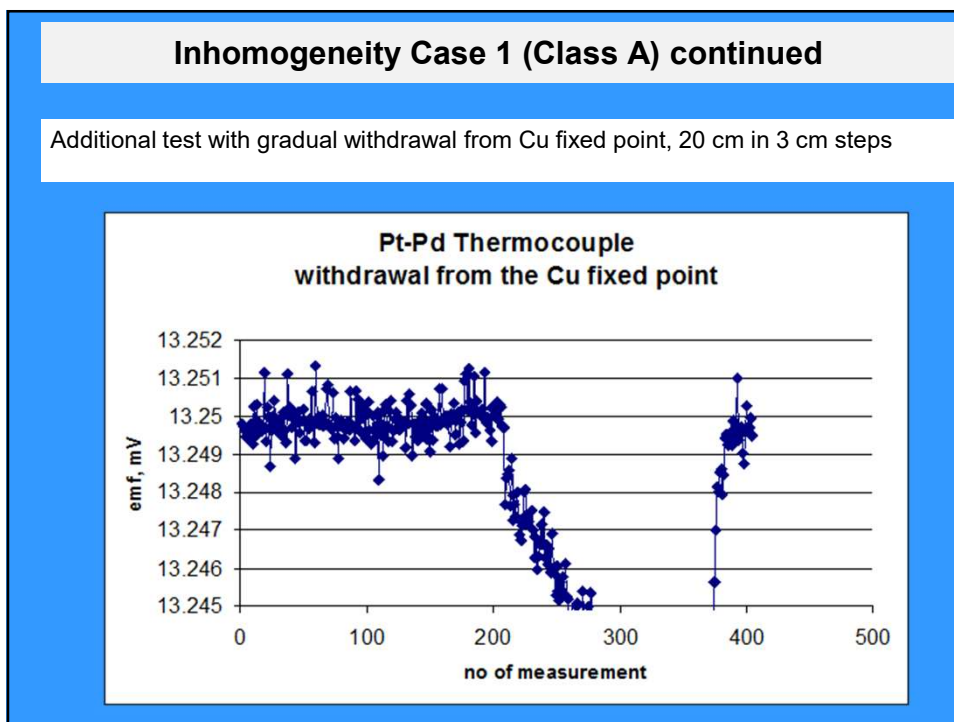
B - inhomogeneity detected, its magnitude is used for estimation of inhomogeneity related calibration uncertainty

C - well, call the customer and tell the bad news

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Class B – inhomogeneity detected

Estimation of uncertainty due to inhomogeneity:

$$u(k=1) = (E_{\max} - E_{\min}) \cdot \left[\frac{E(T_{\text{in use}})}{E(T_{\text{heater}})} \right] \cdot \frac{1}{2\sqrt{3}}$$

Results of two MIMS (Mineral Insulated Metal Sheath) thermocouples, 3mm diameter

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Results...interpretation

Calculation of inhomogeneity related uncertainties from measured results

- Emf is measured at the temperature of the heater approx. 300°C
- It has to be extrapolated to the temperature of the calibration
- Upper and lower level of measured Emf are taken as limits of rectangular distribution

Rule of the thumb:

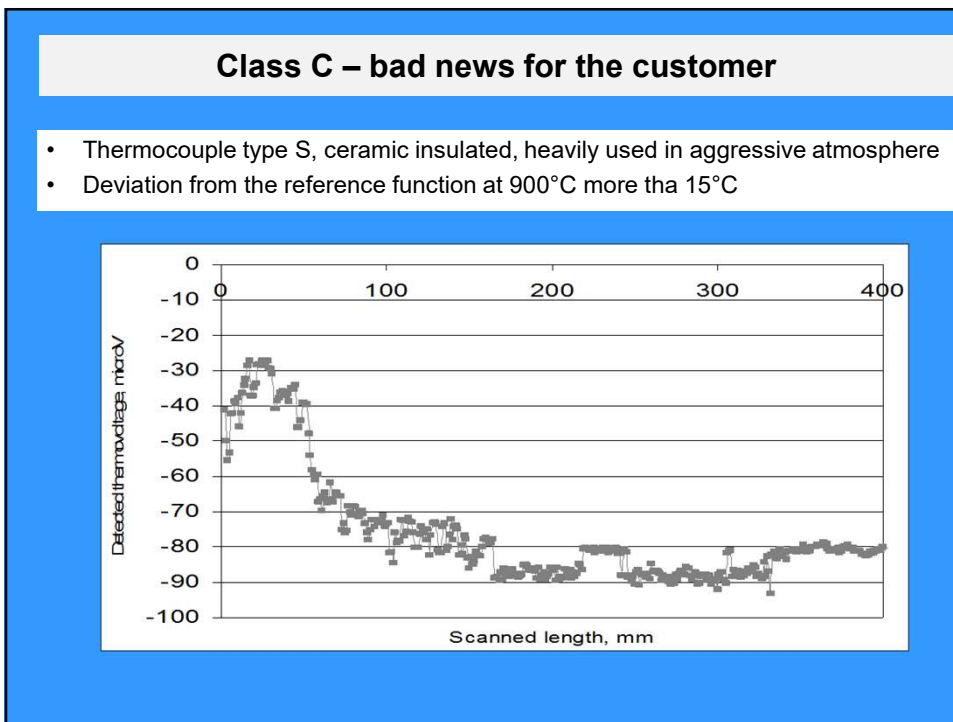
$$u(k=1) = (Emf_{\max} - Emf_{\min}) \cdot (Emf_T / Emf_{\text{Heater}}) \cdot 1/2 \cdot 1/\sqrt{3}$$

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Calibration uncertainty budget of one of the MIMS thermocouples

DUT emf uncertainty budget							
t_{cal} 658.6716 °C							
Type	Quantity	Symbol	Estimation	Uncertainty	Probability	Sensitivity coeff.	Contribution
A	DUT emf	V_x	27.4350	0.00002 mV	normal (1 σ)	1.0 [-]	0.02 μ V
B	DMM calibration	δV_{X1}	0.00 μ V	2.19 μ V	normal (2 σ)	1.0 [-]	1.09 μ V
	DMM resolution	δV_{X2}	0.00 μ V	0.01 μ V	rectangular	1.0 [-]	0.01 μ V
	Parasitic voltages	δV_R	0.00 μ V	1.20 μ V	rectangular	1.0 [-]	0.69 μ V
	Inhomogeneity	δV_H	0.00 μV	50.00 μV	rectangular	1.0 [-]	28.87 μV
	Comp\Ext cables	δV_{LX}	0.00 μ V	0.00 μ V	rectangular	1.0 [-]	0.00 μ V
	Ice/water bath	δt_{IS}	0.005 °C	0.004 °C	rectangular	39.5 μ V/°C@0°C	0.09 μ V
	Temp. deviation	Δt	0.00 °C	0.578 °C	normal (1 σ)	42.19 μ V/°C@ t_{cal}	24.41 μ V
AB	DUT emf	V_x	27.43517 mV			Uncertainty (1 σ)	37.824 μ V 0.897 °C
C	Interpolation	δV_{int}	0.00 μ V	12.088 μ V	rectangular	1.00 [-]	6.98 μ V
ABC	DUT emf	V_x	27.4352 mV			Uncertainty (1 σ)	38.462 μ V 0.912 °C

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Conclusion

- In many cases the inhomogeneity of the thermowires is limiting the measurement uncertainty.
- In base metal thermocouples it is by far the largest uncertainty contribution.
- For high precision calibration it is therefore necessary to test for inhomogeneity, using a method that involves locally changing the temperature profile along the length of the thermocouple, by heating or cooling, while maintaining the measuring and reference junctions at a constant temperature, such as 0 °C.
- Another possibility is to move the measuring junction in an environment with homogenous temperature distribution (e.g. a stirred liquid bath or a fixed point cell).
- Estimate the uncertainty contribution from the inhomogeneity as rectangular contribution, with a full width equivalent to the largest difference found for any two measurements during the test.
- In cases where no individual measurement of the inhomogeneity is possible, it is recommended to take at least 20% of the Class 2 tolerance value for the corresponding type of thermocouple according to EN IEC 60584-2 as contribution ($k = 1$) to the uncertainty.
- For an estimation of the inhomogeneity at other temperatures than tested, it may be assumed that inhomogeneity can be expressed as a percentage of the total emf.

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Thank you for your attention!

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